



P.E.S. College of Engineering, Mandya - 571 401
 (An Autonomous Institution affiliated to VTU, Belgaum)
Fourth Semester, B.E. - Electrical and Electronics Engineering
Semester End Examination; June - 2016
Network Analysis - II

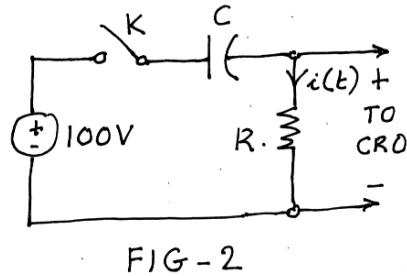
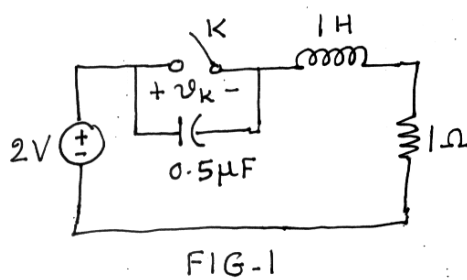
Time: 3 hrs

Max. Marks: 100

Note: Answer **FIVE** full questions, selecting **ONE** full question from each unit.

UNIT - I

1. a. The circuit shown in Fig-1 was in steady state with switch K closed for $t < 0$. At $t = 0$, K is opened. Determine the voltage across the switch v_k , dv_k/dt and d^2v_k/dt^2 at $t = 0+$.



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- b. In the network shown in Fig-2 switch K is closed at $t = 0$. The current waveform is observed with a CRO. The initial value of current is measured to be 0.01 A. The time constant of circuit is 0.025 s. Find;

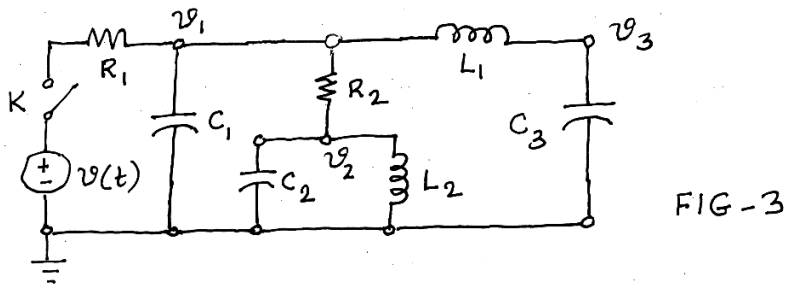
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- (i) The value of R (ii) The value of C (iii) The equation for $i(t)$.

- 2 a. In the circuit shown in Fig-3 switch K is closed at $t = 0$. At $t = 0-$ all capacitor voltages and inductor currents are zero. Three node-to-datum voltages are identified as v_1 , v_2 and v_3 . Find;

- (i) v_1 and dv_1/dt at $t = 0+$,
 (ii) v_2 and dv_2/dt at $t = 0+$ and
 (iii) v_3 and dv_3/dt at $t = 0+$

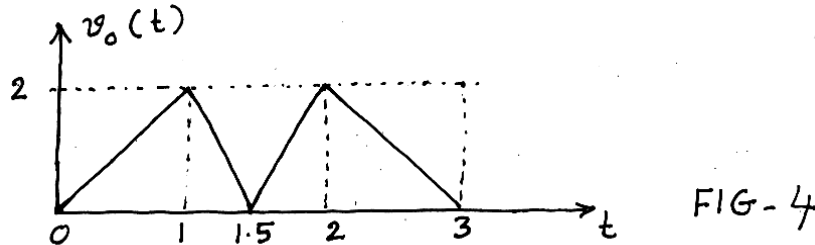
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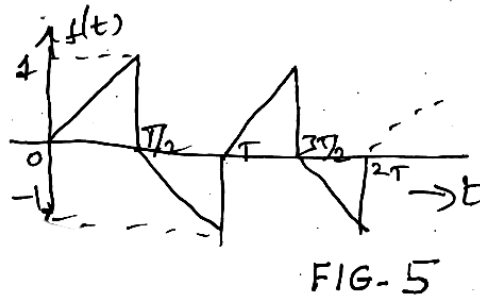
- b. (i) What is the meaning of initial conditions in electrical circuits? Why do we need to compute them? 4
 (ii) Describe the behaviour of R, L and C at $t = 0+$ and as $t \rightarrow \infty$ when the excitation is D.C. 6

UNIT - II

- 3 a. Show that $L\{f(t-a)u(t-a)\} = e^{-as} F(s)$ where $F(s) = L\{f(t)\}$ and using this result obtain the Laplace transform of a periodic function. 10
- b. For the waveform shown in Fig-4, which is made up straight line segments, obtain the Laplace transform. 10



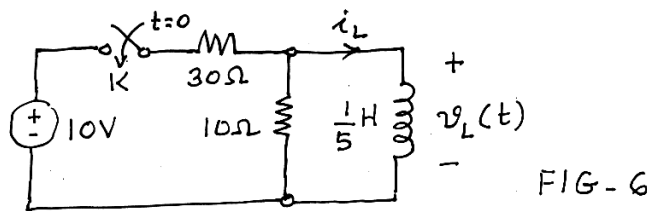
- 4 a. Express the recurring waveform shown in Fig-5 as a linear combination of appropriate basic signals and then obtain its Laplace transform. 10



- b. State and Prove convolution theorem of Laplace transforms. 10

UNIT - III

- 5 a. Find $v_L(t)$ for $t \geq 0$ in the circuit shown in Fig-6 by drawing Laplace transformed network. 10
- Take: $i_L(0^-) = 0$.



- b. Determine the impulse response of the circuit shown in Fig-7 which is initially relaxed. Take $v_L(t)$ as output solve by drawing transformed network. 10

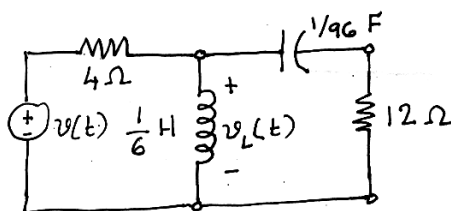


FIG-7

- 6 a. Show that the response of an initially relaxed linear circuit can be determined in terms of the step response using Duhammel's Super position Integral. 10
- b. It is given that $F(S) = \frac{aS^2 + bS + c}{S^3 + 2S^2 + S + 1}$ Find a, b and c such that $f(0) = f'(0) = f''(0) = 1$. 10

UNIT - IV

- 7 a. An inductor L is in series with a resistance R . This is in Parallel with a capacitor C . The driving point impedance of this circuit has a dual pole at $(-1.5 \pm j5.268)$. If $Z(j0) = 1$ find the values of R, L and C . 10
- b. A two-part network is characterized by the equations,
 $12v_1 + 3i_1 - 6i_2 + 4v_2 = 0$
 $6v_1 - 5i_1 - 2i_2 + 0.1v_2 = 0$ 10
 Find y-parameters of the network.
- 8 a. Determine the z-parameters of the two part network shown in Fig-8.

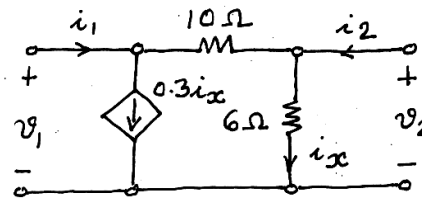


FIG-8

- b. Obtain the condition for reciprocity and symmetry of a two-port network in terms of its ABCD parameters. 10

UNIT - V

- 9 a. What are Hurwitz polynomials? Mention their properties? How are polynomials tested for Hurwitz property? 8
- b. Check whether the following functions are PR or not by giving reasons:
 i) $\frac{2s^3 + 2s^2 + 3s + 2}{s^2 + 1}$ 12
 ii) $\frac{(s+2)(s+4)}{(s+1)(s+5)}$

- 10 a. Realize the following RC driving point impedance function in first Foster form and first Cauer form: 10
 $Z(s) = \frac{(s+2)(s+5)}{(s+1)(s+3)}$

- b. Realize the driving point impedance function given below in two Cauer forms: 10
 $Z(s) = \frac{(s^2 + 1)(s^2 + 9)}{s(s^2 + 4)}$