

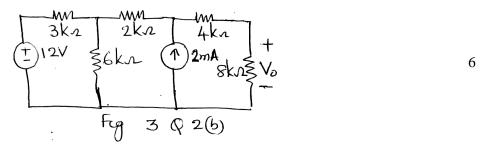
b. Use nodal analysis in the circuit of Fig.1 to found the current through 30 Ω resistor.

$\frac{V_1}{20\lambda} \frac{W_2}{30\lambda} \frac{V_2}{50\lambda}$	
(±) 60V (+)1A = \$100 D (±)40V	,
$F_{ig} \cdot 1 = Q \cdot 1(b)$	

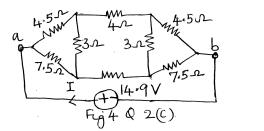
Find the voltage across the 4 Ω resistor using mesh analysis in the network of Fig. 2. с.

> 6130 6 Q

- 2 a. State and explain Norton's theorem as applied to AC circuits.
- Use repeated application of source transformation to find V_0 in the circuit of Fig. 3. b.



By using star-delta transformation technique, find the equivalent resistance Rab and current I с. in the circuit shown in Fig. 4.



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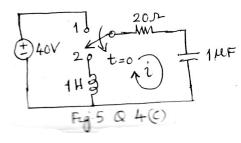
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UNIT - II

- 3 a. For a series resonant circuit, obtain the expressions for ω_1 and ω_2 in terms of components values R, L and C also show that $\omega_0 = \sqrt{\omega_1 \omega_2}$.
- b. A series RLC circuit has $R = 10 \Omega$, L = 0.01 H and $C = 100 \mu$ F, compute the resonant frequency, bandwidth, quality factor and half-power frequencies.
- c. Define resonance in electric circuits. Compute the numerical values of ω_0 , α , ω_d and R for a parallel resonant circuit having L = 2.5 mH, Q₀ = 5 and C = 0.01 µF.
- 4 a. What do you mean by initial conditions in electric networks? Show mathematically that the voltage across a capacitor cannot change instantaneously.
- b. Determine the transient response of a series RL circuit under DC excitation.
- c. In the network shown in Fig. 5 the switch is changed from position 1 to position 2 at t = 0, steady state having reached before switching. Find the values of *i*, $\frac{di}{dt}$ and $\frac{d^2i}{dt^2}$ at $t = 0^+$.

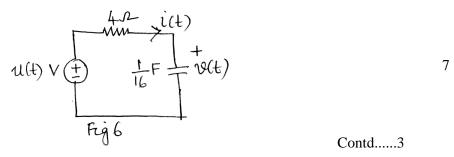


UNIT - III

- 5 a. Find the inverse Laplace transform of $V_s = \frac{2}{s^3 + 12s^2 + 36s}$. 6
- b. State and prove convolution theorem as applied to Laplace transform.
- c. For the network shown in Fig. 7 find $V_0(t)$ for t > 0 using mesh analysis in the *s*-domain circuit.

$$2u(t) A \begin{pmatrix} 1 \\ 1/2 \\ 1/2 \\ + 4u(t) \\ + 4u(t) \\ - 5 \\$$

6 a. Determine V(t) for t > 0 in the series RC circuit shown in Fig. 6.



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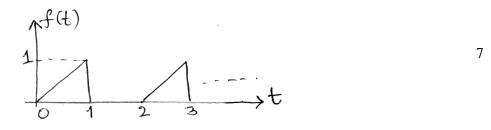
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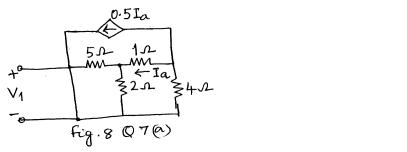
b. Find the Laplace transform of the waveform shown below.



c. Develop the models for an inductor and a capacitor in the *s*-domain.

UNIT - IV

7 a. Find the input impedance of the network shown in Fig. 8



b. Find the *y*-parameters for the network shown in Fig. 9.

- c. Define *h*-parameters for a two-port network. Explain them in terms of Z-parameters. 6
- 8 a. Define the following with examples :

i) Planar graph ii) Sub-graph iii) Tree.

- b. For the circuit shown in Fig. 10, draw the oriented graph and write,
 - i) The incidence matrix

ii) Tie set matrix iii) *f*-cutset matrix.

$$R_{2} \downarrow_{1} R_{3}$$

$$R_{1} \swarrow R_{4} C_{5}$$

$$V \stackrel{(+)}{=} I \stackrel{(+)}{=} I \stackrel{(+)}{=} R_{6}$$

$$Fig. 10 Q 8(b)$$

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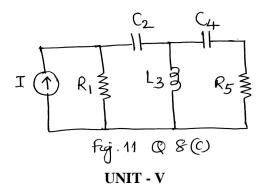
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c. Draw the dual of the network shown in Fig. 11.



9 a. List the properties of Hurwitz polynomials.

b. Test whether
$$f_{(s)} = \frac{s^2 + 6s + 5}{s^2 + 9s + 14}$$
 is a positive real function. 6

c. Test whether the polynomial,
$$P(s) = s^4 + s^3 + 3s^2 + 2s + 12$$
 is Hurwitz.

- 10 a. Realize the Caver forms of the LC-impedance function, $Z_{(s)} = \frac{10s^4 + 12s^2 + 1}{2s^2 + 2s}$.
 - b. List the properties of positive real functions.
 - c. Realize Foster I form realization of the RC-impedance function :

$$Z_{(s)} = \frac{(s+1)(s+3)}{s(s+2)(s+4)}.$$
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