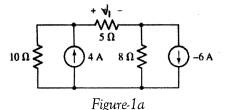
Time: 3 hrs

Max. Marks: 100

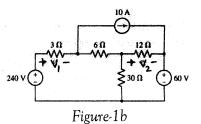
Note: Answer FIVE full questions, selecting ONE full question from each unit.

UNIT - I

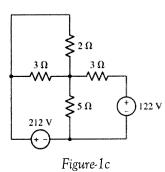
1 a. Determine the value of the voltage labeled V_1 shown in Figure-1a.



b. For the circuit of Figure-1b, use nodal analysis to determine V_1 and V_2 .



c. Employ mesh analysis to determine the current flowing in the circuit of Figure-1c through the 2 Ω resistor.

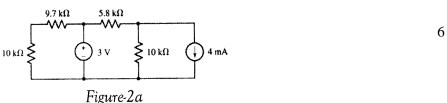


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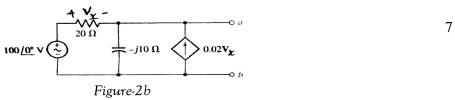
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2 a. Using source transformation, determine the power dissipated by the 5.8 k Ω resistor in Figure-2a.



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b. Find the frequency domain Thevenin equivalent of the network shown in Figure-2b. Show the result as V_{th} in series with Z_{th} .

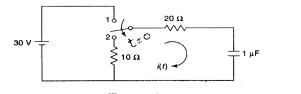


c. Find the average power absorbed by the 10 Ω resistor shown in Figure-2c.

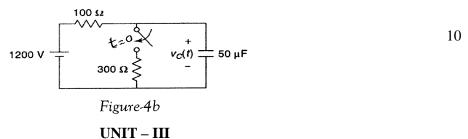
 $50 \text{ V} \underbrace{\underbrace{\underbrace{50}}_{j10 \Omega}}_{Figure - 2c} J 0 \Omega \underbrace{\underbrace{\underbrace{50}}_{j50 V}}_{j50 V}$

UNIT - II

- 3 a. Define quality factor and prove that for a parallel RLC circuit quality factor $Q_0 = \omega_0 RC$. 6
- b. A parallel resonant circuit has $\omega_0 = 1000 \text{ rad} / s$, $Q_0 = 80$, and $C = 0.2 \mu F$. Find R and L. 7
- c. A series resonant network consists of a 50 Ω resistor, a 4 mH inductor, and a 0.1 μ F capacitor. Calculate values for, (i) ω_0 (ii) f_0 (iii) Q_0 and (iv) Bandwidth B.
- 4 a. In the network shown in Figure-4a, the switch is changed from the position 1 to the position 2 at t = 0. Steady state condition having reached before switching. Find the values of *i*, di/dt and d^2i/dt^2 at $t = 0^+$.



- Figure-4a
- b. For the network shown in Figure-4b, the switch is open for a long time and closes at t = 0. Determine $V_C(t)$.



5 a. State and prove :

(i) Initial value theorem (ii) Final value theorem as applied to Laplace transform.

b. Find the Laplace transform of the following :

i) 3u(t-3) - 3 ii) 3u(3-t).

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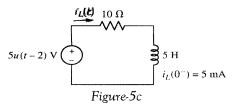
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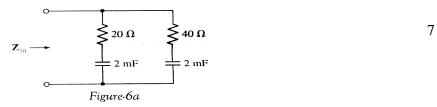
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c. Referring to the RL circuit of Figure-5c, (i) Write a differential equation for the inductor current i_L(t), (ii) Find I_L(s) the Laplace transform i_L(t), (iii) Solve for i_L(t) by taking the inverse Laplace transform of I_L(s).



6 a. Find the Thevenin equivalent impedance seen looking into the terminals of the circuit depicted in Figure-6a. Do the analysis in S-domain only.



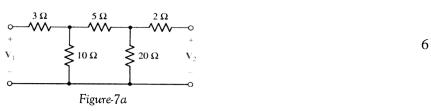
- b. Prove that the inverse Laplace transform of the product of two Laplace transforms is the convolution of the individual Laplace transforms.
- c. State all poles and zeros of each of the following s-domain functions :

i)
$$\frac{3s^2}{s(s^2+4)(s-1)}$$
 ii) $\frac{s^2+2s-1}{s^2(4s^2+2s+1)(s^2-1)}$.

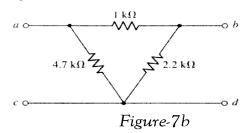
UNIT - IV

7 a. Find y_{11} and y_{12} for the two-port shown in Figure-7a.

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b. Convert the Δ network of Figure-7b to a Y connected network.



c. Find t_A for the single 2 Ω resistor of Figure-7c. Show that *t* for a single 10 Ω resistor can be obtained by $(t_A)^5$.

Figure-7c

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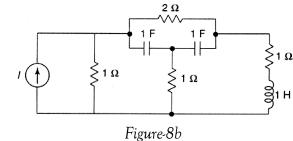
- 8 a. Compare the following terms as applied to network topology with suitable examples :
 - (i) Planar graph and non planar graph (ii) Links and twigs.

(ii) Draw its tree

b. For the circuit shown in Figure-8b,

(i) Draw its graph

(iii) Write the fundamental cutset matrix.



c. The reduced incidence matrix of a graph is given in Figure-8C. Express branch voltages in terms of node voltages.

$$Q = \begin{bmatrix} -1 & 1 & 0 & 0 & -1 \\ 0 & 0 & 1 & 0 & -1 \\ 1 & 0 & 0 & 1 & 0 \end{bmatrix}$$

Figure-8c
UNIT - V

9 a. Test whether the following polynomial is Hurwitz,

$$P(s) = s^4 + s^3 + 5s^2 + 3s + 4.$$

b. Test whether the function given is a positive real function $f_{(s)} = \frac{s^2 + 6s + 5}{s^2 + 9s + 14}$. 7

c. Justify which of the function is RL or RC impedance functions :

i)
$$z_{(s)} = \frac{4(s+1)(s+3)}{s(s+2)}$$
 ii) $z_{(s)} = \frac{s(s+4)(s+8)}{(s+1)(s+6)}$.

10 a. Realize Cauer-II form of the function :

$$z_{LC(s)} = \frac{s\left(s^4 + 3s^2 + 1\right)}{3s^4 + 4s^2 + 1}.$$

b. Realize Foster-I form of the function :

$$z_{(s)} = \frac{(s+1)(s+3)}{s(s+2)}.$$
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c. List any five properties of LC driving point immittance function.

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