Time: 3 hrs

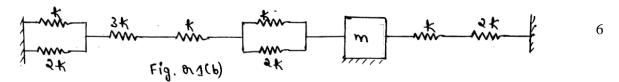
Max. Marks: 100

8

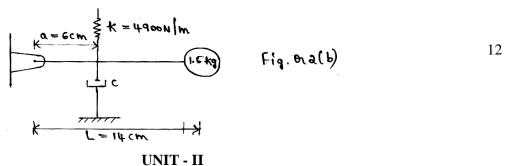
*Note:* Answer *FIVE* full questions, selecting *ONE* full question from each *unit*.

UNIT - I

- 1 a. Derive the differential equation of motion for the free vibration of a spring mass system; obtain 14 the solution of the differential equation. Sketch the motion of the system.
  - b. Find the natural frequency of the system shown in Fig Q. 1(b) Take; m = 20 kg, K = 100 N/m



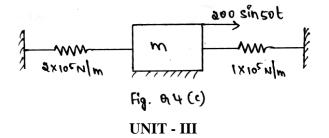
- 2 a. Derive the expression for logarithmic decrement of a SDOF damped system.
  - b. For the system shown in Fig. Q.2 (b), write the equation of the motion and determine the critical damping co-efficient.



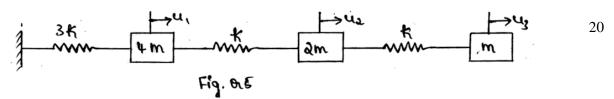
- 3 a. A spring mass dashpot-system is subjected to harmonic force  $F_0 \sin wt$ . Derive the expression for 12 dynamic magnification factor.
  - b. A vibrating system having mass 1 kg is suspended by a spring of stiffness 1000 N/m and it is put to harmonic excitation of 10 N. Assume various damping, determine the following : i) Resonant frequency ii) Amplitude of resonance 8 iii) Frequency corresponding to the peak amplitude iv) Damped frequency Take; C = 40 N-s/m.
- 4 a. Derive the expression for Duhamel's integral for the response due to general dynamic loading. 8
  - b. Derive the expression for dynamic amplitude for a rotating and reciprocating unbalanced mass 8 subjected to forced vibration.
  - c. For what value of 'm' will resonance occur for the system shown in Fig Q4(c)

4

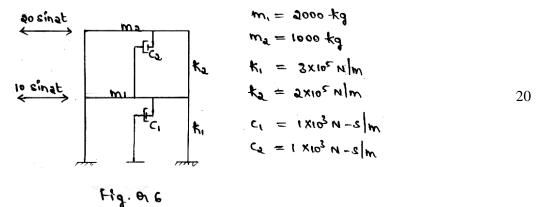
20



5. For the system shown in Fig. Q. 5. Obtain natural frequencies and the corresponding mode shapes.



6. Determine the response for MDOF system shown in Fig. Q 6.



UNIT - IV

- 7. Determine the expressions for the natural frequencies and mode shapes for a uniform cantilever bar in axial vibration.
- Obtain the general expression for the natural frequencies of free flexural vibration of a simply supported beam of length *l* and uniform cross section. Assume flexural rigidity EI, cross 20 sectional area A and mass density ρ.

## UNIT - V

- 9. Using the cubic Hermitian polynomials, determine the stiffness co-efficient  $k_{ii}$  for I = 1 to 4 for a two noded Euler-Bernoulli element. 20
- 10. Write short note on any four
  - i) Lumped and consistent mass matrix for dynamic analysis of beams
  - ii) Orthogonality of normal modes
  - iii) D'Alembert's Principle
  - iv) Vibration measuring instruments
  - v) Force Transmissibility