

- Derive the expression for the deflection of a simply supported beam-column subjected to an axial thrust 'P' and a lateral concentrated load 'Q'. Using this expression, determine the expression for 20 the deflection of a beam-column subjected to a several concentrated loads.
- 2. Using the fourth order differential equation, determine the first two critical loads for a fixed pinned column and fixed free column subjected to an axial thrust *P*.

## UNIT - II

- 3. Determine the critical load for a pinned-pinned column subjected to an axial load by assuming a parabolic profile, using the method of successive approximation.
- 4 a. Determine the buckling load for a fixed-fixed column by using energy method. Assume trial

function 
$$y = A\left(1 - \cos\frac{2\pi x}{L}\right)$$
.

b. Determine the critical load for a cantilever column subjected to a tip load, using the energy method by assuming a displacement configuration approximately equal to a static deflection curve.

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## UNIT - III

- 5. Derive the shape function for a two nodded Euler Bernoulli beam element and plot their variation. Using this shape function derive the geometric stiffness coefficient  $kg_{ij}$ , for i = 4, j = 1, 2 and 4.
- 6. Determine the buckling load for the pinned-pinned column. The column is discratized into two elements. Take  $EI = 30 \text{ Nm}^2$  and length of each element is 3 m.

## UNIT - IV

- Determine the critical moment for the simply supported I-beam subjected to pure bending against lateral buckling.
- Derive the expression for warping displacement for pure torsion of thin walled open section. Also sketch the variation of warping along the middle line of cross section.

## UNIT - V

- 9. Derive the expression for the critical load for a simply supported plate subjected to a uniaxial load  $N_x$ . Assume the all four edges are simply supported. Also plot the graph for the plate ratio versus 20 non dimensional parameter *K*.
- 10. Determine the buckling load expression of a simply supported rectangular plate under combined 20 bending and compression.