



P.E.S. College of Engineering, Mandya - 571 401

(An Autonomous Institution affiliated to VTU, Belagavi)

Fourth Semester, B.E. - Electronics and Communication Engineering

Semester End Examination; May/June - 2019

Digital Signal Processing

Time: 3 hrs

Max. Marks: 100

Note: Answer FIVE full questions, selecting ONE full question from each unit.

UNIT - I

- 1 a. Given $X(K) = \{1, 0, 1, 0\}$ compute its 4-point IDFT $x(n)$. 4
- b. Compute 4-point DFT of the following sequences using Matrix transformation representation :
- i) $x(n) = \cos \pi n \quad 0 \leq n \leq 3$ ii) $x(n) = \sin \frac{\pi n}{2} \quad 0 \leq n \leq 3$ 6
- c. A filter has impulse response $h(n) = \{1, 0, -1\}$ if an input signal $x(n) = (n+1) \quad 0 \leq n \leq 9$ is passed through the filter, determine its output response $y(n)$ using overlap add method. 10
Take length of input section to be 4.
- 2 a. i) If $x(n) = \{1, 2, 0, 3\}$ find $x_1(n) = x((n-3))_4$
- ii) If $x(n) = \delta(n) + 2\delta(n-5)$ and $X(K)$ as its DFT, find $y(n)$ given, 6
- $y(K) = X(K)e^{-j2\pi \frac{3k}{10}}$
- b. State and prove linearity property of DFT. 4
- c. An input sequence $x(n) = (n+1) \quad 0 \leq n \leq 9$ is passed through a filter with impulse response $h(n) = \{1, 0, -1\}$. Determine the output $y(n)$ using overlap save method. Use 6-point circular convolution in the computations. 10

UNIT - II

- 3 a. Explain the concept of Butterfly operation, Inplace computation and Bit reversed as applicable to FFT. 6
- b. Compute the 8-point DFT of the sequence $x(n) = \cos \frac{n\pi}{2}$ using the DIT-FFT algorithm and required flow graph. Show all intermediate computations. 9
- c. Find the DFT of the sequence $x(n) = \{4, 3, 2, 1\}$ using DIF-FFT algorithm. 5
- 4 a. Compare DIT and DIF-FFT algorithms for similarities and differences. 4
- b. Derive the scheme to compute 2N-point DFT of a real valued sequence using an N-point FFT algorithm only once. 6
- c. Compute the IDFT of a 8-point real sequence given five DFT samples as below using DIF-FFT algorithm : $X(k) = \{7, -0.707 - j0.707, -j, 0.707 - j0.707, 1\}$ 10

UNIT - III

- 5 a. Design a linear-phase FIR low pass filter with the following desired frequency response :

$$H_d(e^{jw}) = \begin{cases} e^{-j2w} & 0 \leq |w| \leq \frac{\pi}{4} \\ 0 & \frac{\pi}{4} < |w| \leq \pi \end{cases} \text{ Use a hamming window. Also determine } H(e^{jw}).$$

10

- b. A linear phase low-pass FIR filter satisfying the following specification need to be designed:
 Pass band: 0 – 5 kHz, sampling frequency : $F_s = 18$ kHz, Filter length : $M = 9$ 10
 Determine the filter coefficient using Frequency sampling method.

- 6 a. Design a linear-phase low-phase filter given that: $H_d(e^{jw}) = \begin{cases} e^{-j3w} & 0 \leq |w| \leq \frac{\pi}{2} \\ 0 & \frac{\pi}{2} < |w| \leq \pi \end{cases}$ using the Bartlett 10

worth window. Determine the impulse response coefficient of the filter and $H(e^{jw})$.

- b. A low-pass digital filter has the desired frequency response as below :

$$H_d(e^{jw}) = \begin{cases} e^{-j3w} & 0 \leq |w| \leq \frac{\pi}{2} \\ 0 & \frac{\pi}{2} < |w| \leq \pi \end{cases} \quad 10$$

Determine the filter coefficients $h(n)$ for $M = 7$ using frequency sampling technique.

UNIT - IV

- 7 a. Discuss the advantages and disadvantages of Impulse Invariant method. 4
 b. Transform the analog filter transfer function $H_a(s) = \frac{4s+7}{s^2+5s+4}$ into a digital filter $H(z)$ using 6
 Impulse Invariant method at $F_s = 2Hz$

- c. Design a IIR low pass Butter worth filter using Bilinear transformation for the following 10
 specifications:
 Pass band: $0.8 \leq |H(e^{jw})| \leq 1 \quad |w| \leq 0.2\pi$; Stop band: $|H(e^{jw})| \leq 0.2 \quad 0.6\pi \leq |w| \leq \pi$; Assume $T = 1$ s.

- 8 a. Discuss the advantages and disadvantages of Bilinear-Transformation method. 4
 b. Derive the relationship between analog and digital frequencies in a Bilinear Transformation. 6
 c. Design an IIR low pass Butter worth filter using the Impulse-Invariant method for the following 10
 specification.
 Pass band : $0.8 \leq |H(e^{jw})| \leq 1 \quad |w| \leq 0.2\pi$; Stop band: $|H(e^{jw})| \leq 0.2 \quad 0.6\pi \leq |w| \leq \pi$; Assume $T = 1$ s.

UNIT - V

- 9 a. Check whether following filter function has linear phase or Not, if yes, obtain a linear phase 6
 structure for the same $H(Z) = 1 + \frac{1}{2}Z^{-1} + \frac{1}{3}Z^{-2} + \frac{1}{6}Z^{-3} + \frac{1}{3}Z^{-4} + \frac{1}{2}Z^{-5} + Z^{-6}$

- b. Obtain the cascade and parallel form realization of the LIT system represented by difference 8
 equation $y(n) = \frac{5}{8}y(n-1) - \frac{1}{16}y(n-2) + x(n) - 3x(n-1) + 3x(n-2) - x(n-3)$

- c. Explain Linear Predictive Coding (LPC) system and its uses. 6

- 10 a. Obtain the direct form-I and II, cascade and parallel form realization structures for the following 10
 system : $y(n) = -0.1y(n-1) + 0.7^2y(n-2) + 0.7x(n) - 0.25x(n-2)$

- b. A filter response is given by, $H(z) = \sum_{k=0}^5 (2Z)^{-k}$. Obtain the direct form structure and its 5
 difference equation representation.

- c. Explain speech recognition system with neat block diagram. 5