P18MCAD151							Page No 1			
				U.S.N						
T	Reliability Ana	ous Institu , M. Tecl er End E	<i>tion afj</i> h - Civ xamin	<i>filiated</i> vil Eng ation;	<i>to VT</i> ineeri Jan	<i>U, Bela</i> ng (M 2020	ements		1	
	Time: 3 hrs N <b>ote</b> : i) Answer <b>FIVE</b> full question	ns selection	a ONF	full aug	stion fr	om each		c. Mar	KS: I	00
1.4	ii) Use of statistical table is a			-	°		ay be su	itable d	issum	ed.
	, v		UNIT -		·		·			
	The compressive strength in N/m	$m^2$ of 20 $d$	concrete	e cubes :	from a	buildin	g project	is as	follov	vs:
I	Find range, mean, variance and st	andard dev	viation.							
	17.24 19.73 17.60	19.85 21	.42 13	8.60 1.	3.96	13.87	15.65	13.96	Ď	
	16.18 17.24 18.76	20.07 22	.31 14	.98 1.	5.64	15.75	16.27	15.58	3	
I	Following are the results obtained	l in an expe	eriment.	Calcula	ite mea	n, stand	ard devia	ation a	nd	
	coefficient of variation. Plot a his	togram. De	etermine	e the cha	nce of	getting	a value;			
	i) Less a than 6									
ii) Between 12 and 18										
	iii) Greater than 24					1 1	I	T	1	
	2 7 9 10 20	21 22	13	14 13	19	26	28 15	16		
-	The cube strength of concrete X	follows the	e norma	al distrib	oution v	with par	ameter µ	x = 30	N/m	m <sup>2</sup>
8	and $\sigma_x = 4 \text{ N/mm}^2$ . Calculate the probability of getting a value for a strength,									
	i) Less than 40 N/mm <sup>2</sup>									
	ii) Greater than 25 N/mm <sup>2</sup>									
	The compressive strength Y of M				e			U		
	$\mu_y = 24.04 \text{ N/mm}^2, \sigma_y = 5.76 \text{ N/m}^2$	nm <sup>2</sup> . Deter	mine th	ne proba	bility o	of gettin	g strengt	h less	than t	he
8	specified value of 15 N/mm <sup>2</sup> .									
			UNIT -	II						
I	Fit a straight line to the following					-1	1			
	$\begin{array}{c c} x & 71 \\ \hline y & 69 \end{array}$	68         73           72         70		67         65           68         67		67 64				
ł	For the data given below, find						onential	curve	of t	he
	form $y = ae^{bx}$ .	i ine equi			231 1111	ing crp	onential	Cuive	01 1	110
1		2	3	4	5	6				
	$\begin{array}{c c} x & 1 \\ \hline y & 1 \\ \end{array}$		13.8	40.2	125	300				

4 a. List the properties of correlation coefficient.

b. Write a note on skewness and kurtosis.

Contd....2

#### Page No... 2

c. The field data of soil samples collected from various depths is given below. Obtain the correlation coefficient between the depth and soil shear strength.

Depth (m)	2	3	4	5	6	7
Shear Strength (kN/m <sup>2</sup> )	14.8	20.3	32.2	39.0	42.0	56.2

# UNIT - III

- 5 a. A tension member of a steel truss is subjected to an axial load Q. The strength of the member is given by  $f_y$ . A, where  $f_y$  is the yield strength of steel and A is the area of cross section of the member given,  $\mu_Q = 30 \text{ kN}$ ,  $\delta_Q = 0.4$ ,  $\mu_{fy} = 280 \text{ N/mm}^2$ ,  $\delta_{fy} = 0.2$ Find the area of the member for the specified reliability of 0.99865. Neglect the variation in area.
- b. A simply supported beam of span 'l' is subjected to a uniformly distributed load of ' $\omega$ ' kN/m throughout the span. Establish the statistics of maximum deflection. Given; l = N (4.3.0.35) m,  $\omega = N$  (32, 2.6) kN/m E = N (2x10<sup>5</sup>, 0.2x10<sup>5</sup>) N/mm<sup>2</sup> I = N (4.5x10<sup>7</sup>, 230x10<sup>6</sup>) mm<sup>4</sup>
- 6 a. It is assumed that the strength of a RCC column is given by the sum of the strengths of concrete  $f_{ck}$  and reinforcing bars  $f_y$ ,  $f_{ck}$  and  $f_y$  follows normal distributions with parameters given by,

 $\mu_{fck} = 29 \text{ N/mm}^2$   $\sigma_{fck} = 5 \text{ N/mm}^2$   $\mu_{fy} = 460 \text{ N/mm}^2$   $\sigma_{fy} = 46 \text{ N/mm}^2$ If the size of the column is 250 mm × 400 mm and if it is provided with four bars of 20 mm
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diameter, determine the mean value and standard deviation of the strength of the column. The
column is subjected to a dead load D and live load L with distributions N (1500, 200) kN and
N (500, 200) kN respectively. Compute the reliability of the column.

b. The strength of a column is given by 
$$R = \frac{\pi^2 EI}{a^2}$$

Given; $\mu_E = 2.03 \text{ x } 10^5 \text{ N/mm}^2$	and	$\delta_{\rm E} = 0.1$
$\mu_{I} = 12.5 \times 10^{6} \text{ mm}^{4}$	and	$\delta_I = 0.05$
$\mu_a = 5000 \text{ mm}$	and	$\delta_a = 0.05$
$\mu_{\rm Q} = 700 \text{ kN}$	and	$\delta_q = 0.3$
	1	

Where Q is the total load on the column. All the variables are log normally distributed. Determine the probability of failure and reliability of the column.

#### UNIT - IV

7. Determine the reliability index for a steel tension member having tensile strength R. Subjected to a tensile load Q by FOSM method. The safety margin is given by,

i) 
$$M = \frac{\pi D^2}{4} - \frac{Q}{R}$$
 ii)  $M = D - 2\sqrt{\frac{Q}{\pi R}}$ 

All the variables are normally distributed.

Given;  $\mu_R = 280 \text{ N/mm}^2$   $\mu_Q = 5000 \text{ N}$   $\mu_D = 6 \text{ mm}$   $\sigma_R = 28 \text{ N/mm}^2$   $\sigma_Q = 2000 \text{ N}$  $\sigma_D = 0.6 \text{ mm}$  10

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### **P18MCAD151**

#### **P18MCAD151**

# Page No... 3

8. Determine the reliability index by AFOSM method for a simple supported I beam in the limit state of shear. The beam carries a point load 'Q' at mid span. All the variables are normally distributed.

$$\mu_Q = 4000 \text{ N}$$
 $\sigma_Q = 1000 \text{ N}$ 
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  $\mu_{FS} = 95 \text{ N/mm}^2$ 
 $\sigma_{FS} = 10 \text{ N/mm}^2$ 
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  $\mu_D = 50 \text{ mm}$ 
 $\sigma_D = 2.5 \text{ mm}$ 
 $\sigma_{tw} = 0$ 

 UNIT - V

9. Determine the reliability index by AFOSM method for a steel member having tensile stress

*R* subjected to a tensile load *Q*. The failure function is given by,  $R - \frac{4Q}{\pi D^2} = 0$ 

Given;

 $R = N (280, 28) \text{ N/mm}^2$ Q = N(5000, 2000)ND = N(6, 0.6) mm

10. The strength of an axially loaded short column is given by  $R = 0.67CA_c + A_s F$ 

Where C is the cube strength of concrete, F is the yield strength of reinforcing bars,  $A_C$  is the area of concrete and As is the area of steel.

Given;

$C = N(19.54, 4.1) N/mm^2$	$F = N(469, 46.9) \text{ N/mm}^2$
$A_c = 125000 \text{ mm}^2$	$A_{s} = 1250 \text{ mm}^{2}$

Generate the statistics of R (10 values). Compare the values with the theoretical values and find the percentage error.

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